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from zero to CITT, set the reference torque to CITT. This is to provide smoother torque references below idle speed.

(vi) For motoring points, make no changes. (vii) For consecutive points with reference torques from zero to CITT that immediately follow idle points, change their reference torques to CITT. This is to provide smooth torque transition out of idle operation. This does not apply if the Neutral-When-Stationary feature is used and the transmission has shifted to neutral.

(viii) For consecutive points with reference torque from zero to CITT that immediately precede idle points, change their reference torques to CITT. This is to provide smooth torque transition into idle operation.

(4) Permissible deviations for any engine. If your engine does not operate below a certain minimum torque under normal in-use conditions, you may use a declared minimum torque as the reference value instead of any value denormalized to be less than the declared value. For example, if your engine is connected to a hydrostatic transmission and it has a minimum torque even when all the driven hydraulic actuators and motors are stationary and the engine is at idle, then you may use this declared minimum torque as a reference torque value instead of any reference torque value generated under para-graph (d)(1) or (2) of this section that is between zero and this declared minimum

(e) Generating reference power values from normalized duty cycle powers. Transform normalized power values to reference speed and power values using your map of maximum power versus speed.

(1) First transform normalized speed values into reference speed values. For a given speed point, multiply the corresponding % power by the mapped power at maximum test speed,  $f_{\text{ntest}}$ , unless specified otherwise by the standard-setting part. The result is the reference power for each speed point,  $P_{\text{ref.}}$ Convert these reference powers to corresponding torques for operator demand and dynamometer control and for duty cycle validation per 1065.514. Use the reference speed associated with each reference power point for this conversion. As with cycles specified with % torque, linearly interpolate between these reference torque values generated from cycles with % power.

(2) Permissible deviations for any engine. If your engine does not operate below a certain power under normal in-use conditions. vou may use a declared minimum power as the reference value instead of any value denormalized to be less than the declared value. For example, if your engine is directly connected to a propeller, it may have a minimum power called idle power. In this case, you may use this declared minimum power as a reference power value instead of any reference power value generated per paragraph (e)(1) of this section that is from zero to this declared minimum power.

### §1065.630 1980 international gravity formula.

The acceleration of Earth's gravity,  $a_{\rm g}$ , varies depending on your location. Calculate ag at your latitude, as fol-

$$\begin{split} a_g &= 9.7803267715 \cdot [1+s \\ &5.2790414 \cdot 10^{-3} \cdot \sin^2{(\theta)} + \\ &2.32718 \cdot 10^{-5} \cdot \sin^4{(\theta)} + \\ &1.262 \cdot 10^{-7} \cdot \sin^6{(\theta)} + \\ &7 \cdot 10^{-10} \cdot \sin^8{(\theta)}] \qquad \text{Eq. 1065.630-1} \\ \text{Where:} \\ \theta &= \text{Degrees north or south latitude.} \end{split}$$

Example:

 $\theta = 45^{\circ}$  $a_g = 9.7803267715 \cdot (1 +$  $5.2790414 \cdot 10^{-3} \cdot \sin^2(45) +$  $2.32718 \cdot 10^{-5} \cdot \sin^4(45) +$  $1.262 \cdot 10^{-7} \cdot \sin^6(45) +$ 7 · 10 - 10 · sin 8 (45)  $a_g = 9.8178291229 \text{ m/s}^2$ 

#### § 1065.640 Flow meter calibration calculations.

This section describes the calculations for calibrating various flow meters. After you calibrate a flow meter using these calculations, use the calculations described in §1065.642 to calculate flow during an emission test. Paragraph (a) of this section first describes how to convert reference flow meter outputs for use in the calibration equations, which are presented on a molar basis. The remaining paragraphs describe the calibration calculations that are specific to certain types of flow meters.

(a) Reference meter conversions. The calibration equations in this section use molar flow rate,  $\dot{n}_{ref}$ , as a reference quantity. If your reference meter outputs a flow rate in a different quantity, such as standard volume rate,  $V_{stdref}$ , actual volume rate,  $\dot{V}_{actref}$ , or mass rate,  $\dot{m}_{ref}$ , convert your reference meter output to a molar flow rate using the following equations, noting that while values for volume rate, mass rate, pressure, temperature, and molar mass may change during an emission test, you should ensure that they are as constant as practical for each individual

set point during a flow meter calibration:

$$\dot{n}_{ref} = \frac{\dot{V}_{stdref} \cdot P_{std}}{T_{std} \cdot R} = \frac{V_{actref} \cdot P_{act}}{T_{act} \cdot R} = \frac{\dot{m}_{ref}}{M_{mix}}$$
 Eq.1065.640 – 1

Where:

 $\dot{n}_{\rm ref}$  = reference molar flow rate.

 $\hat{V}_{\text{stdref}}$  = reference volume flow rate, corrected to a standard pressure and a standard temperature.

 $\dot{V}_{\rm actref}$  = reference volume flow rate at the actual pressure and temperature of the flow rate.

 $\dot{m}_{\rm ref}$  = reference mass flow.

 $P_{\text{std}}$  = standard pressure.

 $P_{\rm act}$  = actual pressure of the flow rate.

 $T_{\text{std}}$  = standard temperature.

 $T_{\rm act}$  = actual temperature of the flow rate.

R = molar gas constant.

 $M_{\rm mix}$  = molar mass of the flow rate.

Example 1:

 $\dot{V}_{\text{stdref}} = 1000.00 \text{ ft}^3/\text{min} = 0.471948 \text{ m/s}$  P = 29.9213 in Hg @ 32 °F = 101325 PaT = 69.0 °F = 202.15 K

T = 68.0 °F = 293.15 KR = 8.314472 J/(mol · K)

$$\dot{\mathbf{n}}_{\text{ref}} = \frac{0.471948 \cdot 101325}{293.15 \cdot 8.314472}$$

 $\dot{n}_{\rm ref} = 19.169 \; {\rm mol/s}$ 

Example 2:

 $\dot{m}_{\rm ref} = 17.2683 \text{ kg/min} = 287.805 \text{ g/s}$ 

 $M_{\rm mix} = 28.7805 \, {\rm g/mol}$ 

 $\dot{n}_{ref} = \frac{287.05}{28.7805}$ 

 $\dot{n}_{\rm ref} = 10.0000 \text{ mol/s}$ 

- (b) *PDP calibration calculations.* For each restrictor position, calculate the following values from the mean values determined in § 1065.340, as follows:
- (1) PDP volume pumped per revolution,  $V_{\text{rev}}$  (m<sup>3</sup>/rev):

$$v_{rev} = \frac{\overline{\dot{n}}_{ref} \cdot R \cdot \overline{T}_{in}}{\overline{P}_{in} \cdot \overline{f}_{nPDP}} \qquad \text{Eq. } 1065.640\text{-}2$$

Example:

 $\overline{\dot{n}}_{\rm ref} = 25.096 \text{ mol/s}$ 

R = 8.314472 J/(mo·lK)

 $\bar{T}_{\rm in} = 299.5 \text{ K}$ 

 $P_{\rm in} = 98290 \ {\rm Pa}$ 

 $\bar{f}_{\text{nPDP}} = 1205.1 \text{ rev/min} = 20.085 \text{ rev/s}$ 

$$V_{rev} = \frac{25.096 \cdot 8.314472 \cdot 299.5}{98290 \cdot 20.085}$$

 $V_{\rm rev} = 0.03166 \, {\rm m}^3/{\rm rev}$ 

(2) PDP slip correction factor,  $K_s$  (s/rev):

$$K_s = \frac{1}{\overline{f}_{rPDP}} \cdot \sqrt{\frac{\overline{P}_{out} - \overline{P}_{in}}{\overline{P}_{out}}}$$
 Eq. 1065.640-3

Example:

 $\bar{f}_{\rm nPDP}=1205.1~{\rm rev/min}=20.085~{\rm rev/s}$ 

 $\bar{P}_{\text{out}} = 100.103 \text{ kPa}$ 

P<sub>in</sub>= 98.290 kPa

$$K_s = \frac{1}{20.085} \cdot \sqrt{\frac{100.103 - 98.290}{100.103}}$$

 $K_{\rm s} = 0.006700 \text{ s/rev}$ 

(3) Perform a least-squares regression of PDP volume pumped per revolution,  $V_{\rm rev}$ , versus PDP slip correction factor,

 $K_s$ , by calculating slope,  $a_1$ , and intercept,  $a_0$ , as described in § 1065.602.

- (4) Repeat the procedure in paragraphs (b)(1) through (3) of this section for every speed that you run your PDP.
- (5) The following example illustrates these calculations:

TABLE 1 OF § 1065.640—EXAMPLE OF PDP CALIBRATION DATA

$\bar{f}_{\mathrm{nPDP}}$	$ar{f}_{ ext{nPDP}}$ $a_1$	
755.0	50.43	0.056
987 6	49 86	-0.013

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TABLE 1 OF § 1065.640—EXAMPLE OF PDP CALIBRATION DATA—Continued

$\bar{f}_{ ext{nPDP}}$	aı	<b>a</b> <sub>0</sub>	
1254.5	48.54	0.028	
1401.3	47.30	- 0.061	

- (6) For each speed at which you operate the PDP, use the corresponding slope,  $a_1$ , and intercept,  $a_0$ , to calculate flow rate during emission testing as described in § 1065.642.
- (c) Venturi governing equations and permissible assumptions. This section describes the governing equations and assumptions for permissible brating a venturi and calculating flow using a venturi. Because a subsonic venturi (SSV) and a critical-flow venturi (CFV) both operate similarly, their governing equations are nearly the same, except for the equation describing their pressure ratio, r (i.e.,  $r_{SSV}$ versus  $r_{CFV}$ ). These governing equations assume one-dimensional isentropic inviscid compressible flow of an ideal gas. In paragraph (c)(4) of this section, we describe other assumptions that you may make, depending upon how

you conduct your emission tests. If we do not allow you to assume that the measured flow is an ideal gas, the governing equations include a first-order correction for the behavior of a real gas; namely, the compressibility factor, Z. If good engineering judgment dictates using a value other than Z=1, you may either use an appropriate equation of state to determine values of Z as a function of measured pressures and temperatures, or you may develop your own calibration equations based on good engineering judgment. Note that the equation for the flow coefficient,  $C_f$ , is based on the ideal gas assumption that the isentropic exponent,  $\gamma$ , is equal to the ratio of specific heats,  $C_p/C_v$ . If good engineering judgment dictates using a real gas isentropic exponent, you may either use an appropriate equation of state to determine values of  $\bar{\gamma}$  as a function of measured pressures and temperatures, or you may develop your own calibration equations based on good engineering judgment. Calculate molar flow rate,  $\dot{n}$ , as follows:

$$\dot{\mathbf{n}} = \mathbf{C_d} \cdot \mathbf{C_f} \cdot \frac{\mathbf{A_t} \cdot \mathbf{p_{in}}}{\sqrt{\mathbf{Z} \cdot \mathbf{M_{mix}} \cdot \mathbf{R} \cdot \mathbf{T_{in}}}} \qquad \text{Eq. } 1065.640-4$$

Where:

 $C_d$  = Discharge coefficient, as determined in paragraph (c)(1) of this section.

 $C_{\rm f}$  = Flow coefficient, as determined in paragraph (c)(2) of this section.

 $A_t$  = Venturi throat cross-sectional area.  $p_{in}$  = Venturi inlet absolute static pressure. Z = Compressibility factor.  $M_{\rm mix}$  = Molar mass of gas mixture. R = Molar gas constant.

 $T_{\rm in}$  = Venturi inlet absolute temperature.

(1) Using the data collected in  $\S 1065.340$ , calculate  $C_d$  using the following equation:

$$C_{d} = \dot{n}_{ref} \cdot \frac{\sqrt{Z \cdot M_{mix} \cdot R \cdot T_{in}}}{C_{f} \cdot A_{t} \cdot p_{in}}$$
 Eq. 1065.640-5

Where:

 $\dot{n}_{\rm ref}$  = A reference molar flow rate.

- (2) Determine  $C_f$  using one of the following methods:
- (i) For CFV flow meters only, determine  $\mathcal{C}_{\text{TCFV}}$  from the following table based on your values for  $\beta$  and  $\gamma$ , using

linear interpolation to find intermediate values:

Table 2 of § 1065.640— $C_{\rm fCFV}$  versus  $\beta$  and  $\gamma$  Table 2 of § 1065.640— $C_{\rm fCFV}$  versus  $\beta$  and  $\gamma$ FOR CFV FLOW METERS

$C_{ m fCFV}$			
β	γ <sub>exh</sub> = 1.385	$\gamma_{\rm dexh} = \gamma_{\rm air} = 1.399$	
0.000	0.6822	0.6846	
0.400	0.6857	0.6881	
0.500	0.6910	0.6934	
0.550	0.6953	0.6977	
0.600	0.7011	0.7036	
0.625	0.7047	0.7072	
0.650	0.7089	0.7114	
0.675	0.7137	0.7163	
0.700	0.7193	0.7219	
0.720	0.7245	0.7271	
0.740	0.7303	0.7329	
0.760	0.7368	0.7395	
0.770	0.7404	0.7431	

FOR CFV FLOW METERS—Continued

$C_{ m fCFV}$				
β	γ <sub>exh</sub> = 1.385	$\gamma_{\rm dexh} = \gamma_{\rm air} = 1.399$		
0.780	0.7442	0.7470		
0.790	0.7483	0.7511		
0.800	0.7527	0.7555		
0.810	0.7573	0.7602		
0.820	0.7624	0.7652		
0.830	0.7677	0.7707		
0.840	0.7735	0.7765		
0.850	0.7798	0.7828		

(ii) For any CFV or SSV flow meter, you may use the following equation to calculate  $C_{\rm f}$ :

$$C_{f} = \left[\frac{2 \cdot \gamma \cdot \left(r^{\frac{\gamma - 1}{\gamma}} - 1\right)}{\left(\gamma - 1\right) \cdot \left(\beta^{4} - r^{\frac{-2}{\gamma}}\right)}\right]^{\frac{1}{2}} \text{Eq. } 1065.640-6$$

Where:

 $\gamma$  = isentropic exponent. For an ideal gas, this is the ratio of specific heats of the gas mixture,  $C_p/C_v$ .

r = Pressure ratio, as determined in paragraph (c)(3) of this section.

 $\beta$  = Ratio of venturi throat to inlet diame-

(3) Calculate r as follows:

(i) For SSV systems only, calculate  $r_{\rm SSV}$  using the following equation:

$$r_{SSV} = 1 - \frac{\Delta p}{p_{in}}$$
 Eq. 1065.640-7

Where:

 $\Delta p_{\rm SSV}$  = Differential static pressure; venturi inlet minus venturi throat.

(ii) For CFV systems only, calculate  $r_{CFV}$  iteratively using the following equation:

$$r_{CFV} \stackrel{1-\gamma}{\gamma} + \left(\frac{\gamma-1}{2}\right) \cdot \beta^4 \cdot r_{CFV} \stackrel{2}{\gamma} = \frac{\gamma+1}{2} \hspace{1cm} Eq. \, 1065.640 - 8$$

(4) You may make any of the following simplifying assumptions of the governing equations, or you may use good engineering judgment to develop more appropriate values for your test-

(i) For emission testing over the full ranges of raw exhaust, diluted exhaust and dilution air, you may assume that the gas mixture behaves as an ideal gas:  $\overline{Z}$ =1.

(ii) For the full range of raw exhaust you may assume a constant ratio of specific heats of  $\gamma = 1.385$ .

(iii) For the full range of diluted exhaust and air (e.g., calibration air or dilution air), you may assume a constant ratio of specific heats of  $\gamma = 1.399$ .

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(iv) For the full range of diluted exhaust and air, you may assume the molar mass of the mixture is a function only of the amount of water in the dilution air or calibration air,  $x_{\rm H2O}$ , determined as described in §1065.645, as follows:

$$M_{\text{mix}} = M_{\text{air}} \cdot (1 - x_{\text{H2O}}) + M_{\text{H2O}} \cdot x_{\text{H2O}}$$
 Eq. 1065.640-9

Example:

 $M_{\rm air} = 28.96559 \text{ g/mol}$  $x_{\rm H2O} = 0.0169 \text{ mol/mol}$  $M_{\rm H2O} = 18.01528 \text{ g/mol}$  $M_{\text{mix}} = 28.96559 \cdot (1\ 0.0169) + 18.01528 \cdot 0.0169$  $M_{\rm mix} = 28.7805 \ {\rm g/mol}$ 

(v) For the full range of diluted exhaust and air, you may assume a constant molar mass of the mixture,  $M_{
m mix}$ , for all calibration and all testing as long as your assumed molar mass differs no more than ±1% from the esti-

mated minimum and maximum molar mass during calibration and testing. You may assume this, using good engineering judgment, if you sufficiently control the amount of water in calibration air and in dilution air or if you remove sufficient water from both calibration air and dilution air. The following table gives examples of permissible ranges of dilution air dewpoint versus calibration air dewpoint:

TABLE 3 OF § 1065.640—EXAMPLES OF DILUTION AIR AND CALIBRATION AIR DEWPOINTS AT WHICH YOU MAY ASSUME A CONSTANT  $M_{
m mix}$ .

If calibration $T_{ m dew}$ (°C) is	assume the following constant $M_{\rm mix}$ (g/mol)	for the following ranges of $\mathcal{T}_{\rm dew}$ (°C) during emission tests $^a$
dry	28.96559 28.89263 28.86148 28.81911 28.76224 28.68685 28.58806 28.46005	dry to 21. dry to 22. dry to 24. dry to 26. -8 to 28. 12 to 31.

<sup>&</sup>lt;sup>a</sup> Range valid for all calibration and emission testing over the atmospheric pressure range (80.000 to 103.325) kPa.

(5) The following example illustrates the use of the governing equations to calculate the discharge coefficient,  $C_d$ of an SSV flow meter at one reference flow meter value. Note that calculating  $C_d$  for a CFV flow meter would be similar, except that  $C_f$  would be determined from Table 1 of this section or calculated iteratively using values of  $\boldsymbol{\beta}$ and y as described in paragraph (c)(2) of this section.

Example:

 $\dot{n}_{\rm ref} = 57.625 \text{ mol/s}$  Z = 1

 $M_{\text{mix}} = 28.7805 \text{ g/mol} = 0.0287805 \text{ kg/mol}$  R = 8.314472 J/(mol·K)

 $T_{\rm in} = 298.15 \text{ K}$   $A_{\rm t} = 0.01824 \text{ m}^2$ 

$$p_{\rm in} = 99132.0 \ {
m Pa}$$
  $\gamma = 1.399$   $\beta = 0.8$   $\Delta p = 2.312 \ {
m kPa}$   $r_{\rm SSV} = 1 - {2.312 \over 99.132} = 0.977$ 

$$C_{f} = \left[ \frac{2 \cdot 1.399 \cdot \left(0.977^{\frac{1.399 - 1}{1.399}} - 1\right)}{\left(1.399 - 1\right) \cdot \left(0.8^{4} - 0.977^{\frac{-2}{1.399}}\right)} \right]^{\frac{1}{2}}$$

$$C_{f} = 0.274$$

$$C_d = 57.625 \cdot \frac{\sqrt{1 \cdot 0.0287805 \cdot 8.314472 \cdot 298.15}}{0.274 \cdot 0.01824 \cdot 99132.0}$$

 $C_{\rm d} = 0.981$ 

(d) SSV calibration. Perform the following steps to calibrate an SSV flow meter:

(1) Calculate the Reynolds number, Re#, for each reference molar flow rate, using the throat diameter of the venturi,  $d_t$ . Because the dynamic viscosity, μ, is needed to compute Re#, you may use your own fluid viscosity model to determine  $\mu$  for your calibration gas

(usually air), using good engineering judgment. Alternatively, you may use the Sutherland three-coefficient viscosity model to approximate  $\mu$ , as shown in the following sample calculation for *Re*#:

$$Re^{\#} = \frac{4 \cdot M_{mix} \cdot \dot{n}_{ref}}{\pi \cdot d_t \cdot \mu} \qquad Eq. \ 1065.640\text{-}10$$

Where, using the Sutherland three-coefficient viscosity model:

$$\mu = \mu_0 \cdot \left(\frac{T_{in}}{T_0}\right)^{\frac{3}{2}} \cdot \left(\frac{T_0 + S}{T_{in} + S}\right)$$
 Eq. 1065.640-11

 $\mu$  = Dynamic viscosity of calibration gas.

 $\mu_0$  = Sutherland reference viscosity.

 $T_0$  = Sutherland reference temperature.

S = Sutherland constant.

TABLE 3 OF § 1065.640—SUTHERLAND THREE-COEFFICIENT VISCOSITY MODEL PARAMETERS

Gas <sup>a</sup>	kg/(m · s)	T <sub>o</sub> K	S K	Temp range within ±2% error K	Pressure limit kPa
Air	1.716 · 10 <sup>-5</sup>	273	111	170 to 1900	≤ 1800
CO <sub>2</sub>	1.370 · 10 <sub>-5</sub>	273	222	190 to 1700	≤ 3600
H <sub>2</sub> O	1.12 · 10-5	350	1064	360 to 1500	≤ 10000
O <sub>2</sub>	1.919 · 10 <sup>-5</sup>	273	139	190 to 2000	≤ 2500
N <sub>2</sub>	1.663 · 10 <sup>-5</sup>	273	107	100 to 1500	≤ 1600

<sup>a</sup> Use tabulated parameters only for the pure gases, as listed. Do not combine parameters in calculations to calculate viscos-

Example:

 $\mu_0 = 1.7894 \cdot 10^{-5} \text{ kg/(m·s)}$ 

$$T_0 = 273.11 \text{ K}$$
  
S = 110.56 K

$$\mu = 1.7894 \cdot 10^{-5} \cdot \left(\frac{298.15}{273.11}\right)^{\frac{3}{2}} \cdot \left(\frac{273.11 + 110.56}{298.15 + 110.56}\right)$$

 $\mu = 1.916 \cdot 10^{-5} \text{ kg/(m·s)}$ 

 $M_{\rm mix} = 28.7805 \ {\rm g/mol}$  $\dot{n}_{\rm ref} = 57.625 \text{ mol/s}$ 

 $d_{\rm t} = 152.4 \; {\rm mm}$ 

 $T_{\rm in} = 298.15 \ {\rm K}$ 

$$Re^{\#} = \frac{4 \cdot 28.7805 \cdot 57.625}{3.14159 \cdot 152.4 \cdot 1.916 \cdot 10^{-5}}$$

 $Re^{\#} = 7.2317 \cdot 10^{5}$ 

(2) Create an equation for  $C_d$  versus  $Re^{\#}$ , using paired values of  $(Re^{\#}, C_d)$ . For

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the equation, you may use any mathematical expression, including a polynomial or a power series. The following equation is an example of a commonly used mathematical expression for relating  $C_d$  and  $Re^{\#}$ :

$$C_d = a_0 - a_1 \cdot \sqrt{\frac{10^6}{Re^\#}}$$
 Eq. 1065.640-12

- (3) Perform a least-squares regression analysis to determine the best-fit coefficients to the equation and calculate the equation's regression statistics, SEE and  $r^2$ , according to § 1065.602.
- (4) If the equation meets the criteria of  $SEE \leq 0.5\% \cdot \dot{n}_{\rm refmax}$  and  $r^2 \geq 0.995$ , you may use the equation to determine  $C_{\rm d}$  for emission tests, as described in § 1065.642.
- (5) If the SEE and  $r^2$  criteria are not met, you may use good engineering judgment to omit calibration data points to meet the regression statistics. You must use at least seven calibration data points to meet the criteria.
- (6) If omitting points does not resolve outliers, take corrective action. For example, select another mathematical expression for the  $C_{\rm d}$  versus  $Re^{\#}$  equation, check for leaks, or repeat the calibration process. If you must repeat the process, we recommend applying tighter tolerances to measurements and allowing more time for flows to stabilize.
- (7) Once you have an equation that meets the regression criteria, you may use the equation only to determine flow rates that are within the range of the reference flow rates used to meet the  $C_{\rm d}$  versus  $Re^{\#}$  equation's regression criteria.
- (e) CFV calibration. Some CFV flow meters consist of a single venturi and some consist of multiple venturis, different combinations venturis are used to meter different flow rates. For CFV flow meters that consist of multiple venturis, either calibrate each venturi independently to determine a separate discharge coefficient,  $C_d$ , for each venturi, or calibrate each combination of venturis as one venturi. In the case where you calibrate a combination of venturis, use the sum of the active venturi throat areas as  $A_t$ , the sum of the active ven-

turi throat diameters as  $d_i$ , and the ratio of venturi throat to inlet diameters as the ratio of the sum of the active venturi throat diameters to the diameter of the common entrance to all of the venturis. To determine the  $C_d$  for a single venturi or a single combination of venturis, perform the following steps:

- (1) Use the data collected at each calibration set point to calculate an individual  $C_{\rm d}$  for each point using Eq. 1065.640-4.
- (2) Calculate the mean and standard deviation of all the  $C_{\rm d}$  values according to Eqs. 1065.602–1 and 1065.602–2.
- (3) If the standard deviation of all the  $C_d$  values is less than or equal to 0.3% of the mean  $C_d$ , then use the mean  $C_d$  in Eq 1065.642-6, and use the CFV only down to the lowest  $\Delta p_{\text{CFV}}$  measured during calibration.
- (4) If the standard deviation of all the  $C_{\rm d}$  values exceeds 0.3% of the mean  $C_{\rm d}$ , omit the  $C_{\rm d}$  values corresponding to the data point collected at the lowest  $\Delta p_{\rm CFV}$  measured during calibration.
- (5) If the number of remaining data points is less than seven, take corrective action by checking your calibration data or repeating the calibration process. If you repeat the calibration process, we recommend checking for leaks, applying tighter tolerances to measurements and allowing more time for flows to stabilize.
- (6) If the number of remaining  $\mathcal{C}_d$  values is seven or greater, recalculate the mean and standard deviation of the remaining  $\mathcal{C}_d$  values.
- (7) If the standard deviation of the remaining  $C_{\rm d}$  values is less than or equal to 0.3 % of the mean of the remaining  $C_{\rm d}$ , use that mean  $C_{\rm d}$  in Eq 1065.642-6, and use the CFV values only down to the lowest  $\Delta p_{\rm CFV}$  associated with the remaining  $C_{\rm d}$ .
- (8) If the standard deviation of the remaining  $C_{\rm d}$  still exceeds 0.3% of the mean of the remaining  $C_{\rm d}$  values, repeat the steps in paragraph (e) (4) through (8) of this section.

EFFECTIVE DATE NOTE: At 73 FR 37326, June 30, 2008, §1065.640 was amended by revising paragraphs (a) and (e) and redesignating the second "Table 3" as "Table 4", effective July 7, 2008. For the convenience of the user, the revised text is set forth as follows: